

- I can be found around the web as "zcourts", Google it...
- The web is one very prominent example of a graph
- Too big for a single machine
- So we must split or "partition" it over multiple
- Partitioning is hard...in fact, it has been shown to be npcomplete
- All we can do is edge closer to more "optimal" solutions
- The Tesseract is an ongoing research project
- Its focus is on distributed graph partitioning
- The rest of this presentation is a series of solutions, which together, takes one step closer to faster distributed graph processing


## Terminology

Graph - A graph $G$ is made up of a set of vertices and edges, $\mathbf{G}=(\mathbf{V}, \mathrm{E})$


Vertex - Smallest unit of user accessible datum

Edge - Connects two vertices, may have a direction

Property - Key value pair available on an Edge or Vertex

## Aims of the Tesseract

1. Implement distributed eventually consistent graph database
2. Develop a distributed graph partitioning algorithm
3. Develop a computational model able to support both real time and batch processing on a distributed graph

## Aims of the Tesseract

1. Implement distributed eventually consistent graph database

## CRDTs...in one slideтм

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Associative

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S1
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S2
\{\} $\left\{a^{2}\right\}$

S3
\{\}

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to $C$ Each node adds "a"
- OR with a unique tag Removed"...add wins!


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add(a)
del(a)

S 1
S 2


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Mark only -an as deleted.

$$
\left\{a_{\lambda},-a_{\pi}\right\}
$$

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S1 S2

$$
\operatorname{del}(\mathrm{a})
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S1
$\operatorname{add}(a)$
del(a)


- User never sees tags!
- Query time checks are used to enable DAGs (if violation of DAG constraint is detected then the runtime simply says the violating edge does not exist and triggers clean up)
- Note,the deleted "a" is optionally kept as a tombstone if the runtime is configured to support "snapshots"


## Aims of the Tesseract

1. 
2. Develop a distributed graph partitioning algorithm

## CRDTs again...because they're important

- One very important property of a CRDT is:

$$
\{a, b, c, d\}: \Leftrightarrow\{a, b\} \cup\{c, d\}
$$

- Those two sets being logically equivalent is a
desirable property
- Enables partitioning (with rendezvous hashing for e.g.)


## Naïve "cascading vertices"

- Naïve graph partitioning
- Depends on the query model to make up for its Naïvety
- Uses hashing to place data
- Two cascading algorithms formulated from:
$\mathbf{V}=$ the vertex to cascade
$\mathbf{n}=$ max nodes to cascade across
$\mathbf{n}$ = auto-determined value of $n$, using logistics growth model
$\mathbf{d}=\operatorname{deg}(\mathrm{v})=$ Degree of V
$\mathbf{e}=\langle\forall$ deg(v) $\in G\rangle$ i.e. average degree of all vertices in the graph
$\mathbf{I n V I}=$ Max number of edges per node for a vertex
i.e. cascading point (min number of edges before cascading occurs)

1. $|n \bigvee|=d / n-$ user provides $n$, split evenly across nodes
2. $|n \mathrm{~V}|=\max (\mathrm{d}, \mathrm{e}) / \mathrm{n}$ - user provides n , split evenly based on d or e if $e$ is bigger

## "Cascading vertices" by example

- Let's use Twitter followers as an example
- Each letter represents a unique follower


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```
add(...) performs a
cascade(deg(V))
```


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add(...) xf
```


\{a,b...n/threshold\}

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cascade(deg(v)) >=
``` threshold
```

add(···)}\times

```

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add(···) xf

```

\{r,s...n/2*threshold \(\}\)

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\title{
Distributed computation Localised calculations
}

Amortisation

Memoization

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- Optimise to perform more "cheap" computations
- This allows us to occasionally pay the cost of more "expensive" operations such that they computationally balance out
- e.g. Checking data locally on a node vs querying over a network


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\section*{Cache \\ n/r}

\section*{Wormhole traversals}
- Immutability offers guarantees
- Place markers at every \(n\) vertex intervals
- When traversing, don't visit every vertex, jump to markers instead.
- Markers at A, G, F, D
- By pass B,C,E during traversal, almost halving the time.
- The resulting data has any skipped vertex asynchronously fetched
- A key part of this is in the use of "Path summaries"
- Path summary is an optimisation that enables the runtime to skip network requests
- Allows traversal to continue locally and async request is made to gather the remote results


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- and, well. ..functions!
- The whole graph thing is an optimisation problem
- The properties of a purely functional language enables a run time to make a lot of assumptions
- These assumptions open possibilities not otherwise available (some times by allowing us to pretend a problem isn't there)

\section*{Distributed Query Model: TQL, Tesseract Query Language}
- Haskell?
- ...before you start sneaking out the back doors
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- a pure
- functional language
- it has type inferencing and all the cool functional widgets!

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- How was that functional?
- It employed use of:
- Functions - relation between a set of input and a set of permissible outputs
- Monads - structures that allow you to define computation in terms of the steps necessary to obtain the results of the computation.
- Monoids - a set with a single associative \((1+2)+3==1+(2+3)\) binary operation an identity element (an element where, when applied to any other in the set, the value of the other element remains unchanged. e.g. given * as the binary operation and the set \(S=\{1,2,3\}\), 1 is the identity element since \(1^{*} 1=1,2 * 1=2\) and \(3 * 1=3\) )
- Currying - where a function which takes multiple arguments is converted into a series of functions which take a single argument, the currying technique produces partially applied functions.
- Higher order functions - functions which takes other functions as its parameter
- Function composition - the process of making the result of one function the argument of another

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- Don't believe me? Let's look at a definition for "INSERT" shown on the previous slide

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INSERT :: (String -> (V...) -> (E...) -> PartialTransform) ) -> Transform

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\author{
Function name
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From
here..

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- Include additional modules (yours or a third party's)

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- Previously enumerated properties enable the server to make a lot of assumptions and by proxy optimisations
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CRDTs
vertices
Tesseract runtime

Wormhole traversals

Optimisations (Memoization/ Amortisation/etc)

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- Compaction also serves as an opportunity to optimise data location
- Write only means vertex properties and edges aren't always next to each other in a data file
- During compaction we re-arrange contents
- Helps reduce the amount of work required by spindle disks to fetch a vertex's data

First release due in 2-3 months
Will be Apache v2 Licensed
github.com/zcourts/Tesseract

\section*{End...}

\section*{Questions?}

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}```

